

Cambridge International Examinations

Cambridge International General Certificate of Secondary Education

CANDIDATE NAME					
CENTRE NUMBER			CANDIDATE NUMBER		

9105218512

CAMBRIDGE INTERNATIONAL MATHEMATICS

0607/32

1 hour 45 minutes

Paper 3 (Core) May/June 2017

Candidates answer on the Question Paper.

Additional Materials: Geometrical Instruments

Graphics Calculator

READ THESE INSTRUCTIONS FIRST

Write your Centre number, candidate number and name on all the work you hand in.

Write in dark blue or black pen.

Do not use staples, paper clips, glue or correction fluid.

You may use an HB pencil for any diagrams or graphs.

DO NOT WRITE IN ANY BARCODES.

Answer all the questions.

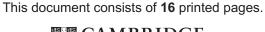
Unless instructed otherwise, give your answers exactly or correct to three significant figures as appropriate. Answers in degrees should be given to one decimal place.

For π , use your calculator value.

You must show all the relevant working to gain full marks and you will be given marks for correct methods, including sketches, even if your answer is incorrect.

The number of marks is given in brackets [] at the end of each question or part question.

The total number of marks for this paper is 96.



Formula List

Area, A, of triangle, base b, height h.

 $A = \frac{1}{2}bh$

Area, A, of circle, radius r.

 $A = \pi r^2$

Circumference, C, of circle, radius r.

 $C = 2\pi r$

Curved surface area, A, of cylinder of radius r, height h.

 $A = 2\pi rh$

Curved surface area, A, of cone of radius r, sloping edge l.

 $A = \pi r l$

Curved surface area, A, of sphere of radius r.

 $A = 4\pi r^2$

Volume, V, of prism, cross-sectional area A, length l.

V = Al

Volume, V, of pyramid, base area A, height h.

 $V = \frac{1}{3}Ah$

Volume, V, of cylinder of radius r, height h.

 $V = \pi r^2 h$

Volume, V, of cone of radius r, height h.

 $V = \frac{1}{3}\pi r^2 h$

Volume, V, of sphere of radius r.

 $V = \frac{4}{3}\pi r^3$

Answer all the questions.

1	(a)	Write in words the number 70 302.	F11
	(b)	Work out 13.68 ³ .	[1]
		Write down all the numbers on your calculator display.	
			[1]
	(c)	Write 623.892	
		(i) correct to 2 decimal places,	
			[1]
		(ii) correct to 3 significant figures,	
			[1]
	((iii) correct to the nearest 100.	
			[1]
	(d)	Find the value of $8x + 5y$ when $x = 7$ and $y = -9$.	
			[2]
	(e)	Solve.	
		54 - 8x = 10	
			$x = \dots [2]$

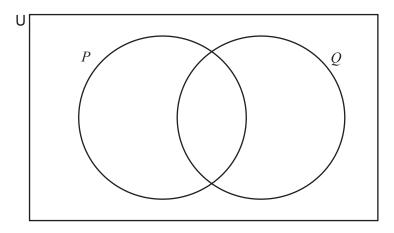
Am	ir has	12 hens.		
(a)	Eac	h hen lays 5 eggs every week.		
	(i)	Work out the total number of eggs Amir collects each we	ek.	
				F13
	(ii)	Amir sells the eggs at \$2.10 for 10 eggs. He sells all the eggs.		. [1]
		Work out how much money he receives.		
			\$. [2]
	(iii)	Cynthia buys 10 eggs and pays with a \$5 note.		
		Work out how much change she receives.		
			\$	Г17
(b)		d for the hens costs \$20 for a 40 kg bag. ir uses 8 kg of food each week.	¥	· [+]
	(i)	Work out how much it costs him to feed the hens each w	eek.	
			\$. [2]
	(ii)	Use your answer to part (a)(ii) to work out the profit that	t Amir makes each week.	
			\$	[1]
			Ψ	, F +]

3 $U = \{a, b, c, d, e, f, g, h\}$

$$P = \{a, c, e, f, g\}$$

$$Q = \{b, d, f, g\}$$

(a) Write the elements of U in their correct position in the Venn diagram.



[2]

(b) Write down an element of P.

Г1	٦	
 11	П	

(c) Write down the elements of a proper subset of Q.

(()	г	1	1
1		1	П	1	ı

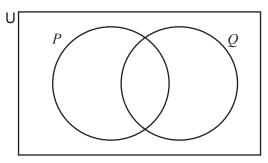
(d) Write down the elements of the complement of P.

(e) Write down $n(P \cup Q)'$.

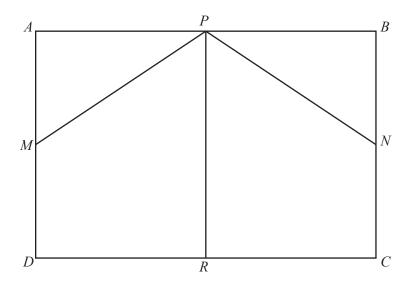
	۲1	Ė	1
	J	L	

(f) Using set notation, complete the statement.

(g) On the diagram below, shade the region $P' \cap Q$.



[1]



The diagram shows a rectangle ABCD. The points M, N, P and R are the midpoints of the sides.

			_	_				
1	(a))	()n	the	diag	gram,	lab	e

(i)	an acute angle with the letter x ,	[1]
-----	--------------------------------------	-----

(ii) a right angle with the letter
$$y$$
, [1]

(iii) an obtuse angle with the letter
$$z$$
. [1]

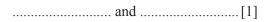
- **(b)** Using the letters on the diagram, write down
 - (i) two lines that are parallel,

[1]

(ii) two lines that are perpendicular,

and	Г1	٦
 anu	 1	1

(iii) two shapes that are congruent.



The	ese are the first four terms of	of a sequence			
		23	16	x	2
The	difference between any tw	vo consecutiv	e terms is th	e same.	
(a)	Find the value of x .				
					<i>x</i> =[2]
(h)	Work out the 5th term of	this sequence	2		<i>x</i> –[2]
(6)	work out the 5th term of	tins sequence	J.		
					[1]
(c)	Find an expression for th	e <i>n</i> th term of	this sequence	ee.	
					[2]
(d)	Is -187 a term in this see Show how you decide.	quence?			

[3]

(i) Work of	ut the tota	w1 11W111		11111141		.,,	1113	unu 1					
													m
(ii) Each a	pointme	nt is fo	or 10 m	ninutes	S.								
Find th	e maximu	ım nur	nber o	f appo	intme	nts tha	at can	be ma	de for	each	teache	er.	
													•••••
(iii) A teach	er has on	ly 12 a	appoin	tments	S.								
	ut the tota							ments	as a p	ercen	tage of	the	
total po	ssible nu	mber c	of mini	utes fo	or appo	ointme	ents.						
													•••••
The table sh	ows the n	umber	of app	pointn	nents f	for all	the tea	achers					••••
	ows the n	umber	of app	pointn	nents f	for all	the tea	achers		J	K	L	M
Teacher Number of													
Teacher Number of	A	В	С	D	Е	F	G	Н	I	J	K	L	M
Teacher Number of	A	В	С	D	Е	F	G	Н	I	J	K	L	M
Teacher Number of	A	В	С	D	Е	F	G	Н	I	J	K	L	M
Teacher Number of	5	B 12	C 8	D 12	E 11	F	G	Н	I	J	K	L	M
Teacher Number of appointments	A 5	B 12	C 8	D 12	E 11	F	G	Н	I	J	K	L	M
Teacher Number of appointments	A 5	B 12	C 8	D 12	E 11	F	G	Н	. I 8	J 9	K 14	L 8	M 13
Teacher Number of appointments For these nu (i) the ran	A 5	B 12	C 8	D 12	E 11	F	G	Н	. I 8	J 9	K	L 8	M 13
Teacher Number of appointments	A 5	B 12	C 8	D 12	E 11	F	G	Н	. I 8	J 9	K 14	L 8	M 13
Teacher Number of appointments For these nu (i) the ran	A 5	B 12	C 8	D 12	E 11	F	G	Н	. I 8	J 9	K 14	L 8	M 13

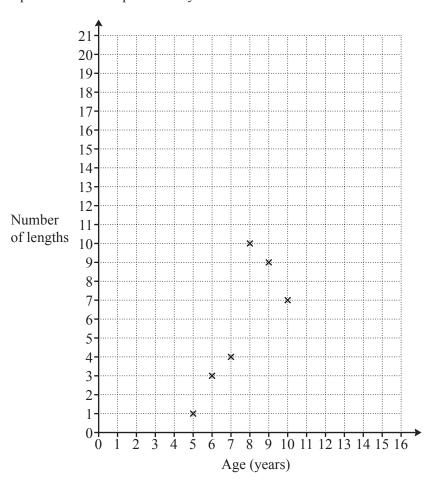
(c)	One of the 13 teachers is chosen at random.	
	Find the probability that this teacher has	
	(i) exactly 12 appointments,	
	(ii) more than 9 appointments.	[1]
		[1]
7	$-3 -1\frac{1}{7} 0.55 \sqrt{2} 2 \pi$	
(a)	From this list write down.	
	(i) all the integers,	
		[2]
	(ii) an irrational number.	. [1]
(b)	Use numbers from the list to complete the following statement.	
	$\mathbb{Q} = \{ \dots \}$	[2]
(c)	Write 0.55 as a fraction in its simplest form.	
		[2]

8 Ten students of different ages record the number of lengths of a pool they can swim.

Age (years)	5	6	7	8	9	10	12	13	14	15
Number of lengths	1	3	4	10	9	7	14	15	18	20

(a) Complete the scatter diagram.

The first six points have been plotted for you.



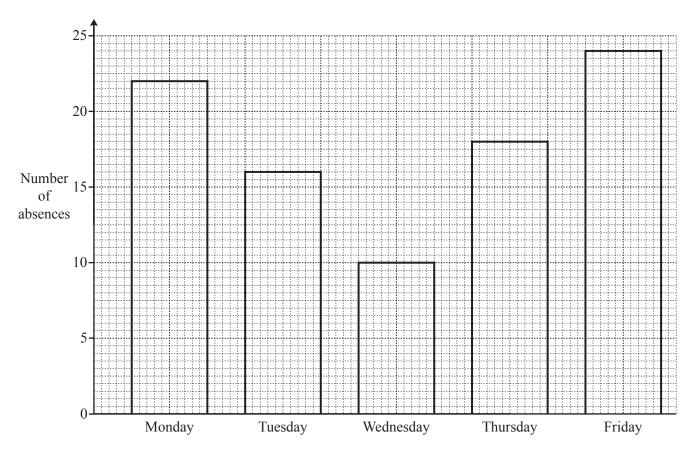
[2]

(b) What type of correlation is shown in the diagram?

.....[1]

(c)	Cal	culate
	(i)	the mean of the ages,
	(ii)	years [1 the mean of the number of lengths.
		[1
(d)	On	the scatter diagram, plot the mean point. [1]
(e)	On	the scatter diagram, draw a line of best fit by eye. [2
(f)	Use	your line of best fit to estimate the number of complete lengths a student of age 11 years can m.
		[2

9 Clarissa records the number of students absent from school each day. The results for one week are shown in the bar chart.



(a) Work out the total number of absences during the five days.

Γ1	ı.	1
 l 1	L	ı

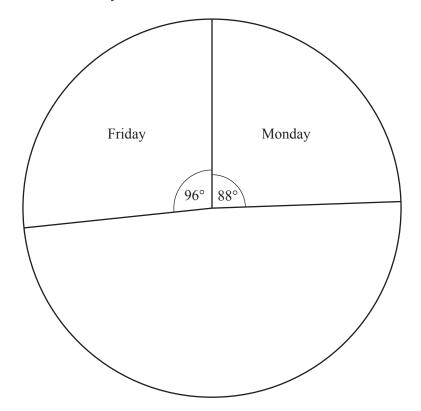
(b) Write down which day had the most students absent.

Г	1	-	٦
	- 1		

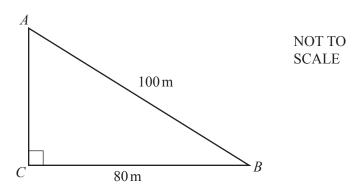
- (c) Clarissa decides to draw a pie chart to show this information.
 - (i) Show, using a calculation, that the sector angle for Monday is 88°.

[1]

(ii) Complete the pie chart. Label each sector clearly.



[3]



A track is in the shape of a right-angled triangle. $AB = 100 \,\text{m}$ and $BC = 80 \,\text{m}$.

-	(a)	Find	the	length	of AC
٦	aj	TIIIU	uic	icingui	ULAC

AC =	 m [3]

..... m [1]

1C -

(c) Use trigonometry to find the size of angle ABC.

(b) Find the total length of the track.

Angle
$$ABC = \dots [2]$$

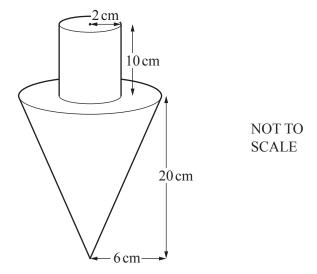
(d) Margriet jogs around the track at an average speed of 9 km/h.

(i)	Change	9 km/h	to	metres/	minute
-----	--------	---------	----	---------	--------

 metres/minute	[2]	

(ii) Calculate the number of minutes it takes her to jog around the track 5 times.

..... minutes [2]



The diagram shows a wooden spinning top in the shape of a cone with a cylinder on top. The cone has radius 6 cm and height 20 cm.

The cylinder has radius 2 cm and height 10 cm.

(a) Find the total volume of the spinning top.

 cm^3	[3]

(b) (i) Find the length of the slant height of the cone.

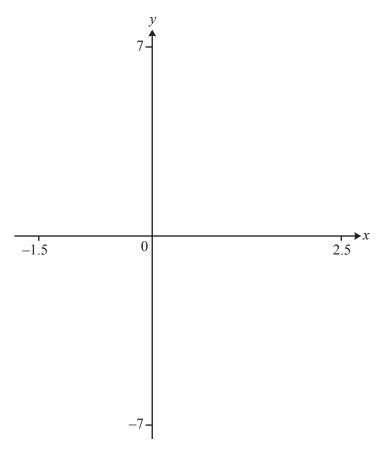
		cm [2]
--	--	--------

(ii) The curved surface area of the cone is painted red.

Find the area painted red.

2	
cm ²	[2]

Question 12 is printed on the next page.



$$f(x) = 2x^3 - 3x^2 - 3x + 2$$

- (a) On the diagram, sketch the graph of y = f(x) for $-1.5 \le x \le 2.5$.
- **(b)** Find the x co-ordinate of each point where the curve cuts the x-axis.

$$x = \dots$$
 and $x = \dots$ [3]

(c) Find the y co-ordinate of the point where the curve cuts the y-axis.

(d) Find the co-ordinates of the local maximum point.

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