

UNIVERSITY OF CAMBRIDGE INTERNATIONAL EXAMINATIONS International General Certificate of Secondary Education

CANDIDATE NAME			
CENTRE NUMBER		CANDIDATE NUMBER	
MATHEMATICS			0580/32
Paper 3 (Core)		Octo	ober/November 2010
			2 hours
Candidates answer	r on the Question Paper.		
Additional Materials	s: Electronic calculator Mathematical tables (optional)	Geometrical instrument Tracing paper (optional	-
READ THESE INS	TRUCTIONS FIRST		

Write your Centre number, candidate number and name on all the work you hand in.
Write in dark blue or black pen.
You may use a pencil for any diagrams or graphs.
Do not use staples, paper clips, highlighters, glue or correction fluid.
DO NOT WRITE IN ANY BARCODES.

If working is needed for any question it must be shown below that question. Electronic calculators should be used. If the degree of accuracy is not specified in the question, and if the answer is not exact, give the answer to three significant figures. Give answers in degrees to one decimal place.

For π , use either your calculator value or 3.142.

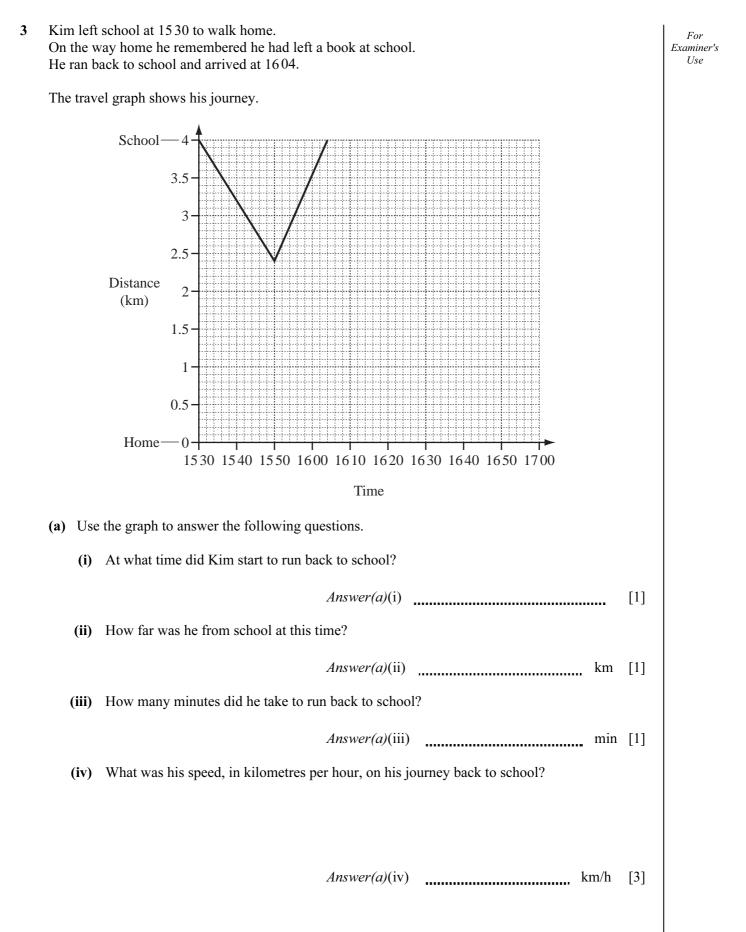
At the end of the examination, fasten all your work securely together. The number of marks is given in brackets [] at the end of each question or part question. The total of the marks for this paper is 104.

This document consists of 15 printed pages and 1 blank page.



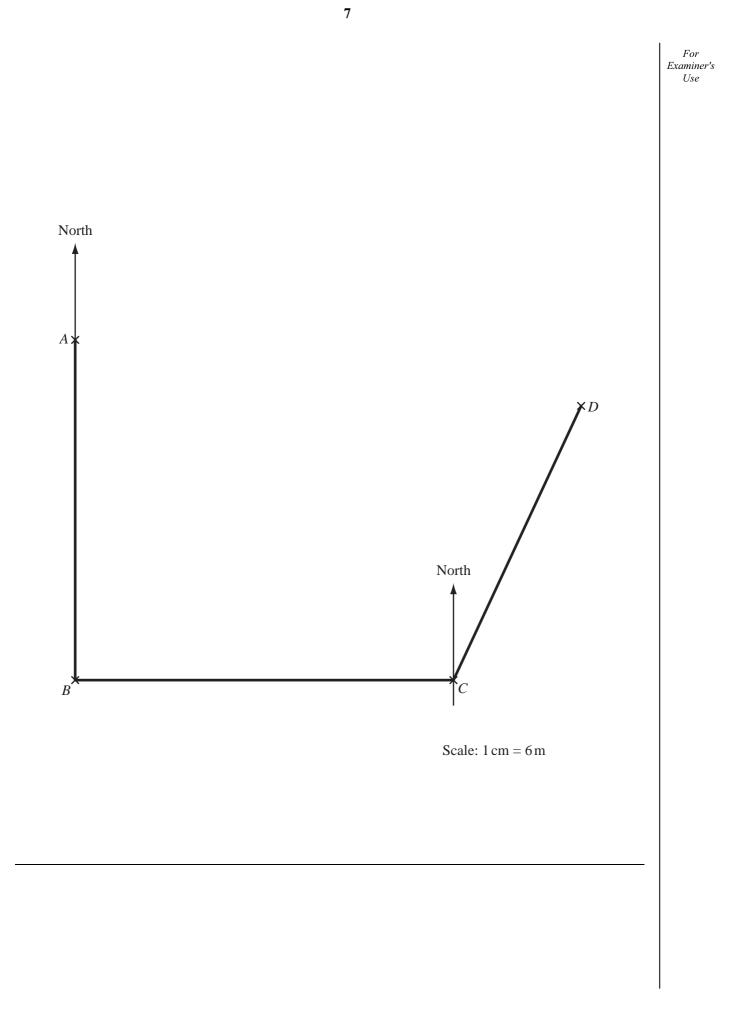
	ink consists of water and fruit juice.	Exa
(a)	24% of the drink is water.	
	Show that there is a total of 760 cm^3 of fruit juice in one litre of the drink.	
	Answer(a)	
	[2]	
(b)	What fraction of one litre of the drink is fruit juice?	
	Give your answer in its simplest form.	
	$Answer(b) \qquad [2]$	
	The 760 cm ³ of fruit juice in one litre of the drink is made from apple, mango and peach in the	
(c)	following ratio.	
	Apple : Mango : Peach = $6 : 15 : 17$	
	Calculate the amount of apple juice.	
	Answer(c) cm^3 [2]	
(d)	A shopkeeper buys bottles of the drink for 65 cents each. He sells them for 80 cents each.	
	Calculate the percentage profit he makes on each bottle he sells.	
	Answer(d) $\%$ [3]	

$fand g are both integers greater than 1.$ Write down one possible pair of values of f and g. $Answer(a)(i) f = \dots, and g = \dots, [1]$ (i) Find all the prime factors of 90. $Answer(a)(ii) \dots, and g = \dots, [1]$ (i) Find all the prime factors of 90. $Answer(a)(ii) \dots, and g = \dots, [1]$ (b) Six number cards are shown below. $0 4 9 5 1 8$ One or more of the cards are chosen to make different numbers. For example $5 9 makes the number 59.$ Choosing a card or cards, write down (i) a 2-digit odd number less than 40, $Answer(b)(i) \dots, [1]$ (ii) the largest 3-digit even number, $Answer(b)(ii) \dots, [1]$ (iii) a 2-digit square number greater than 50, $Answer(b)(ii) \dots, [1]$ (iv) a cube number, $Answer(b)(iv) \dots, [1]$ (v) a 2-digit multiple of 13, $Answer(b)(v) \dots, [1]$ (vi) the cube root of 64, $Answer(b)(vi) \dots, [1]$ (vii) a prime number between 100 and 120. $Answer(b)(vii) \dots, [1]$	2 (a) (i) $f \times g = 90$	Fa	or
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(vii) a prime number between 100 and 120.		[1]	
		, L*J	
		[1]	
	Answer(0)(VII)	, [1]	



(b)	Kim spent 6 minutes at school collecting his book. He then walked home at a speed of 6 km/h.		For Examiner's Use
	(i) Complete the travel graph.	[3]	
	(ii) At what time did Kim arrive home?		
	Answer(b)(ii)	[1]	
(c)	Kim's sister, Julie, left the school at 15 48. She walked at a steady speed, without stopping, and arrived home 46 minutes	s later.	
	(i) On the grid, draw the travel graph of Julie's journey home from school.	[2]	
	(ii) Complete the sentence.		
	arrived home first by	minutes. [1]	

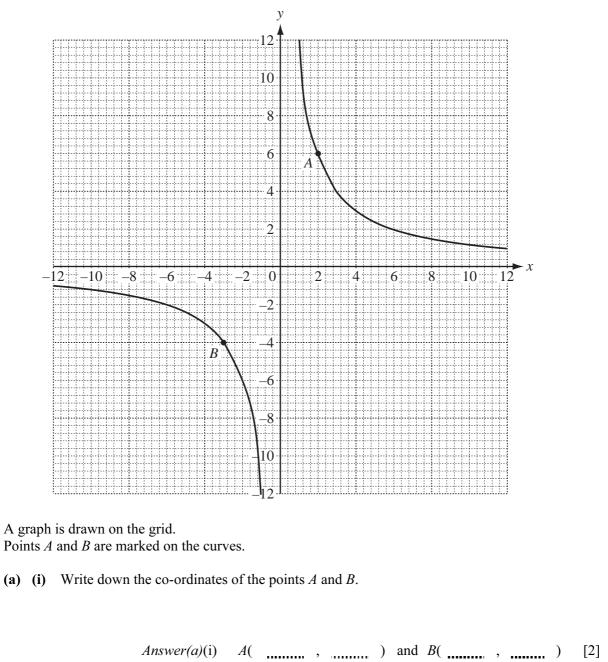
4	An accurate scale drawing of three sides of a garden, AB , BC , and CD is shown on the opposite page. A is due north of B and C is due east of B .		
	(a)	A vegetable area is to be constructed in the garden.	
		Parts (i) and (iii) must be completed using a straight edge and compasses only.	
		On the scale drawing	
		(i) construct the perpendicular bisector of BC ,	[2]
		(ii) mark the point S at the midpoint of BC ,	[1]
		(iii) construct the bisector of angle <i>ABC</i> ,	[2]
		(iv) mark the point R where this line crosses the perpendicular bisector of BC ,	[1]
		(v) mark the point Q on BA where $BQ = SR$,	[1]
		(vi) draw the vegetable area, quadrilateral <i>BQRS</i> .	[1]
	(b)	On the scale drawing, 1 centimetre represents 6 metres.	
		Calculate the vegetable area in square metres.	
		Answer(b) m^2	[3]
	(c)	A tree, T, is on a bearing of 070° from A and 345° from C.	
		On the scale drawing, mark the position of <i>T</i> .	[2]
	(d)	Draw accurately the locus of points which are 24 metres from the tree, <i>T</i> .	[2]







[2]



(ii) The equation of the graph is xy = n.

Answer(a)(i)

Write down the value of *n*.

Answer(a)(ii) n =[1]

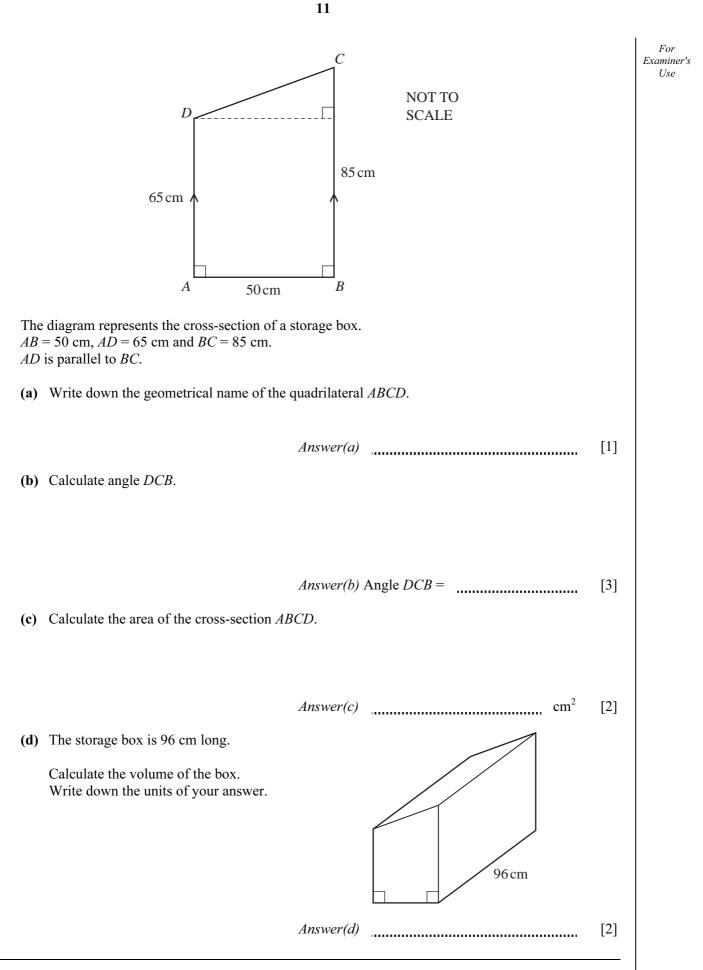
(b) (i)	Write down the order of rotational symmetry of the graph.		For Examiner's
	Answer(b)(i)	[1]	Use
(ii)	On the grid, draw the lines of symmetry of the graph.	[2]	
(iii)	Write down the equation of each line of symmetry.		
	Answer(b)(iii) and	[2]	
(c) (i)	One line of symmetry crosses both curves.		
	Write down the x co-ordinates of the points where this line meets each curve. Give your answers to 1 decimal place.		
	Answer(c)(i) $x =$ and $x =$	[2]	
(ii)	On the grid, draw the line which passes through the point $(0, 4)$ and is parallel to the line symmetry in part (c)(i) .	ne of [1]	
(iii)	Write down the equation of this line in the form $y = mx + c$.		
	Answer(c)(iii) $y =$	[2]	

(a) The formula for finding the interior angle of a regular polygon with n sides is given below.

		Interior	cangle = $\frac{180(n)}{n}$	<u>-2)</u>	
	(i)	Find the size of the interior angle of	f a regular polyg	on with 9 sides.	
	(ii)	Multiply out the brackets.	<i>Answer(a)</i> (i) 180(<i>n</i> – 2)		[2]
			Answer(a)(ii)		[1]
	(iii)	A regular polygon has an interior an How many sides does this polygon			
(b)	Solv	ve the simultaneous equations.	Answer(a)(iii) $3x + 5y = 9$ $x + 2y = 4$		[3]
			Answer(b) x =	=	

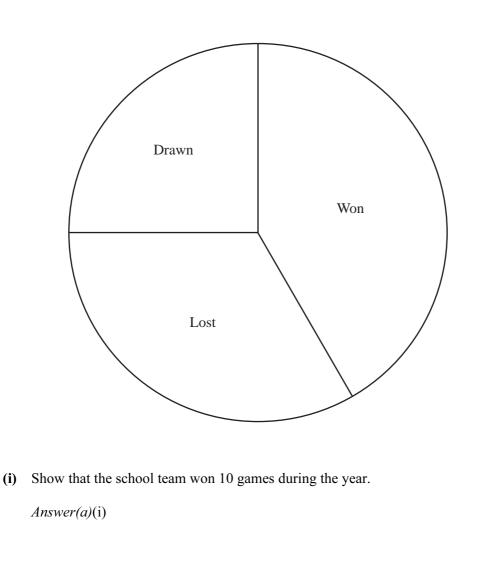
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8 (a) The results of 24 games of hockey played by a school team in one year are shown in the pie chart below.

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[2]

(ii) Find how many games were lost and how many games were drawn.

Answer(a)(ii) Lost

Drawn [3]

2	1	1	0	3	2	
0	2	3	2	1	4	

1

4

13

(b) The number of goals scored by the hockey team in each of the 24 games are shown below.

(i)	Complete the frequency table below.	You may use the tally column to help you.
-----	-------------------------------------	-------------------------------------------

1

Number of goals per game	Tally	Number of games
0		
1		
2		
3		
4		
5		

[2]

[2]

(ii) Write down the mode.

Answer(b)(ii) [1]

(iii) Find the median.

0

3

2

1

2

Answer(b)(iii)

(iv) Calculate the mean number of goals per game.

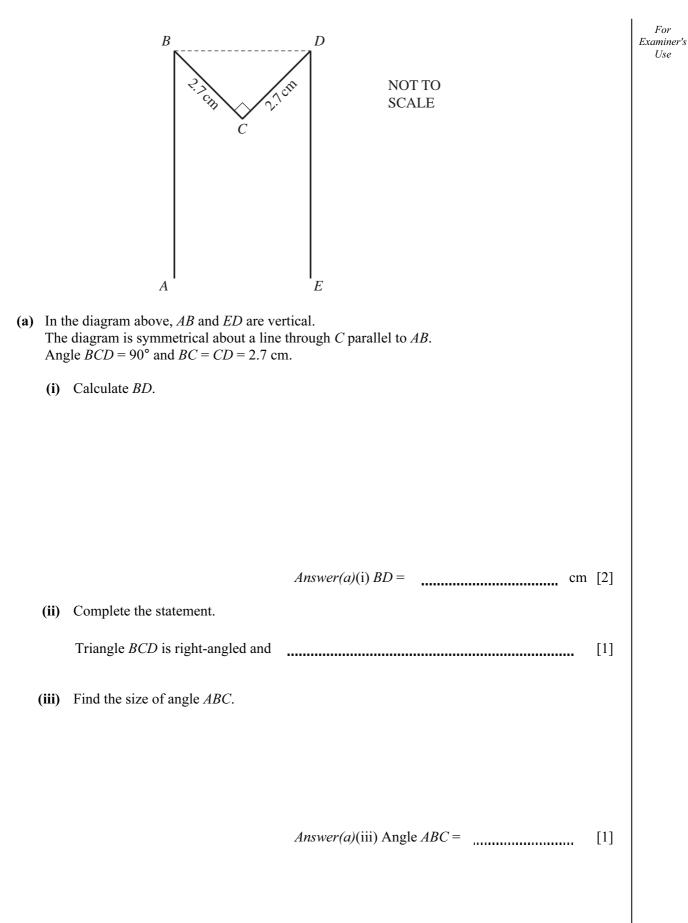
Answer(b)(iv) [3]

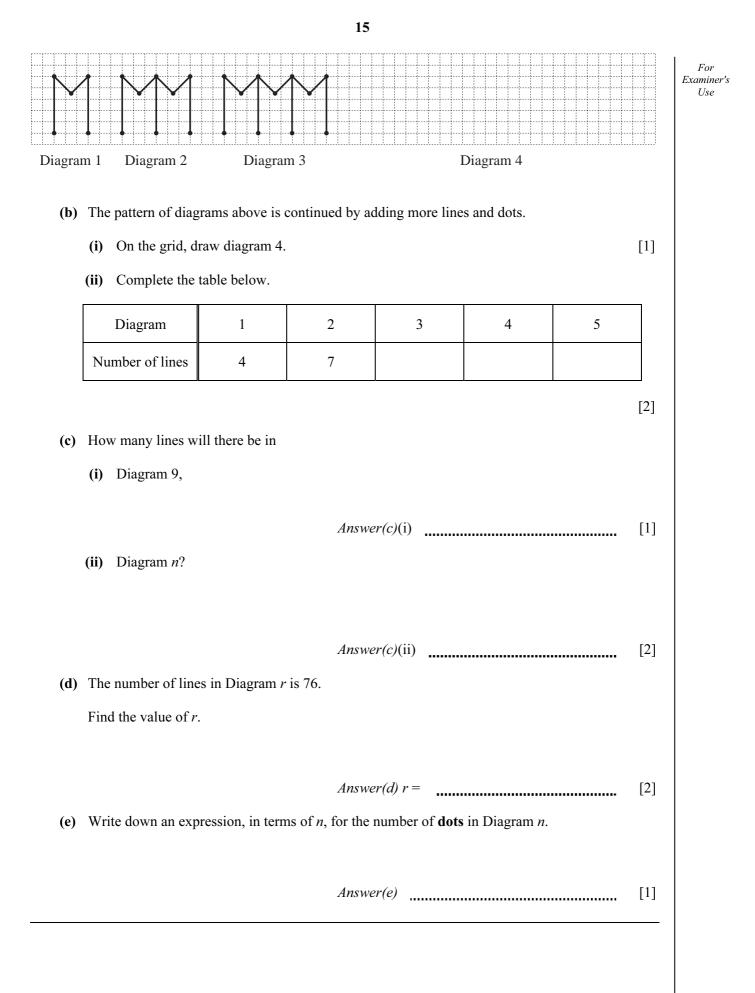
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0

1

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